15-213

Intro to Computer Systems
Recitation #1
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Today

- Introductions
- Datalab Tricks
 - Floating point questions? Go to Office Hours.
- Integer Puzzles
- Parity Example
- Style

Introductions

Basics

```
->>, <<
-| vs. ||
-& vs. &&
-! vs. ~
```

• What is x?

```
-int x = (9 | 12) << 1;
-x = 26
```

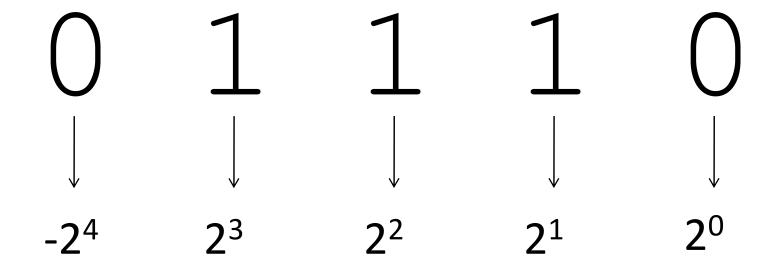
- Trick #1: Signed-ness
 - The MOST significant bit
 - 0 -> positive or zero
 - 1 -> negative
 - What is...
 - int x = (10 >> 31);
 - int $y = (-10 \gg 31);$
 - <u>It's NOT 1</u> (what is arithmetic shifting?)
 - How do we fix that?
 - Answers:
 - x = 0 and y = -1

- Trick #2: Properties of Zero
 - Masking
 - 0 & (something) == 0 [why?]
 - (0-1) & (something) == something [why?]
 - Why is this useful?
 - Positive zero vs. negative zero
 - int x = 0; int y = -x;
 - Neither x nor y is negative (MSB is 0 for both)
 - Why is this useful?

- Trick #3: Negation
 - Review: take a 5-bit twos compliment system

$$-16 + 2 = -14$$

- Trick #3: Negation
 - Review: take a 5-bit twos compliment system



$$8+4+2=\underline{14}$$

- Trick #3: Negation
 - Example:

- Trick #3: Negation
 - In general

```
-x == (\sim x + 1)
```

- Does this always work?
 - Tmin?
 - No!
 - Tmax?
 - Yes!
 - Zero?
 - Yes!
 - Everything else?
 - Yes!

Integer C Puzzles

Initialization

•
$$x < 0$$
 $\Rightarrow ((x*2) < 0)$
• $ux >= 0$
• $ux > -1$
• $x > y$ $\Rightarrow -x < -y$
• $x * x >= 0$
• $x > 0 && y > 0$ $\Rightarrow x + y > 0$
• $x >= 0$ $\Rightarrow -x <= 0$
• $x <= 0$ $\Rightarrow -x >= 0$
• $(x|-x)>>31 == -1$
• $ux >= 0$ $\Rightarrow -x >= 0$
• $x >= 0$ $\Rightarrow -x >= 0$

- (x < 0) => ((x*2) < 0)- Nope. Tmin?
- (ux >= 0)-Yup!
- (x&7 == 7) => ((x << 30) < 0)
 - Yup!
 - -(x&7 == 7) means last 3 bits are 1
 - Examine the "negative bit" of (x<<30)

- (ux > -1)
 - Nope. Unsigned comparison means -1 is Umax!
- $\bullet \quad (x > y) => (-x < -y)$
 - Nope. Boundary cases.
 - -x = 0, y = Tmin (what is -Tmin?)
- $\bullet \quad (x * x >= 0)$
 - Nope. Overflow into "negative bit"
 - $int x = 65535; // 2^16 1$

- - Nope. Overflow into "negative bit"
 - -x, y = Tmax
- (x >= 0) => (-x <= 0)
 - Yup! Why doesn't break for Tmax?
- (x <= 0) => (-x >= 0)
 - Nope. What is –Tmin?

```
• (x | -x) >> 31 == -1

- Nope. x = 0
```

- (ux >> 3) == (ux / 8)- Yup!
- (x >> 3) == (x / 8)
 - Nope. Careful on rounding!
 - int x = -19;
 - int y = x >> 3; // y = -3

```
• (x & (x-1)) != 0

- Nope. x = 0, x = 1
```

- Write a function which takes an integer and returns
 - 1 if there are an odd number of '1' bits
 - 0 if there are an even number of '1' bits

```
int parity_check(int x) {
   ...
}
```

• Any ideas?

- Inspiration:
 - If we could XOR all of the bits in the argument... we would get the answer!

11011001011000111110010100101101

110110010110001111110010100101101

XOR

1101100101100011

1110010100101101

0011110001001110

(down to 16 bits)

Just keep going!

0011110001001110

0011110001001110

O0111100 01001110

01110010

(down to 8 bits)

Just keep going!

01110010

01110010

0111 0010 0101 (down to 4 bits)

- You can take it from there.
 - Still confused on high-level algorithm? Can't write the C code for the Parity Problem? Office Hours.

Style

- Here is what we grade on:
 - http://www.cs.cmu.edu/~213/codeStyle.html
- It is in your best interest to read it ASAP!

Autolab isn't the whole grade. We read your code.

Style

- Documentation
- Whitespace
- Line length
- Variable names
- Magic Numbers
- Dead Code
- Modularity
- Error checking
- Consistency